

Section
7.1B

Activity 1

- 1) Crime Scene Investigators need to know how fast a car was going when it began to slam on the brakes. Investigators use the skid distance to determine this information. An equation that might model the speed of a car given the skid distance could be

$$V = 4\sqrt{d-3} + 5$$

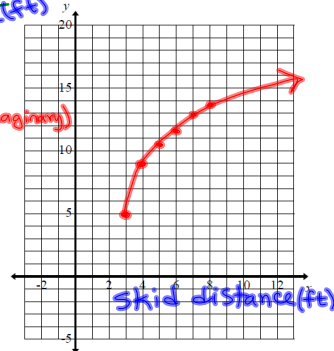
where V is the speed (miles per hour) when brakes were applied and d is the skid distance (feet).

- Fill in the table below for this equation.

- Plot your points on the graph to the right.

- Graph the equation in your calculator to check that you are correct.

(d)	(V)
-1	error (imaginary)
0	error
1	error
2	error
3	5
4	9
5	10.6
6	11.9
7	13
8	13.9



- a) Explain what " $d = 8$ " means in the context.

The skid distance is 8 ft

- b) Are there restrictions on what values d can assume? Explain.

No negative values because distance can't be neg.

- c) If $d = 8$, explain what " V " means in the context.

The speed of the car (was 13.9 mph) when the brakes were applied.

- d) Are there restrictions on what values V can assume? Explain.

No negative values because speed can't be neg.

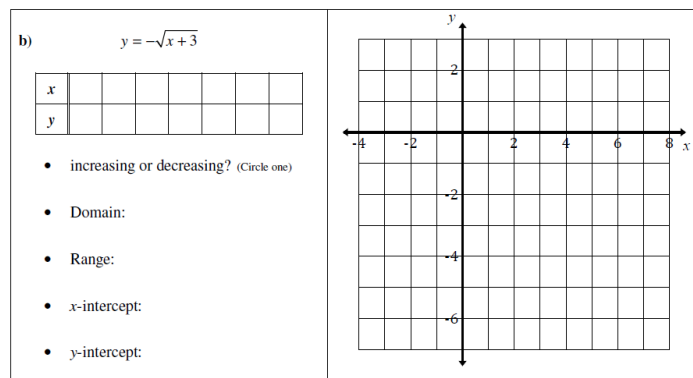
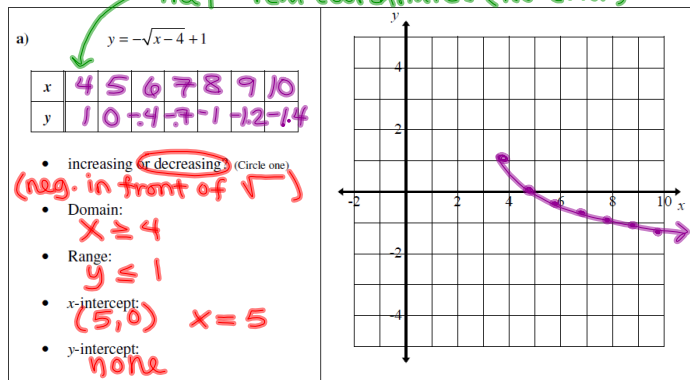
- e) State the domain and range of the function, paying attention to context.

D: $x \geq 3$ ft R: $y \geq 5$ mph

- f) Does removing the context of the problem change the domain and/or range? Explain.

no... just the labels

- 2) Use a graphing utility to help you make the graphs of the following equations. For each equation identify the significant features of the graph. Pay close attention to how the graph, equation and table of values relate to one another.



Section
7.1C

- 1) Designers of a new highway used the following equation to model a curve in the road:

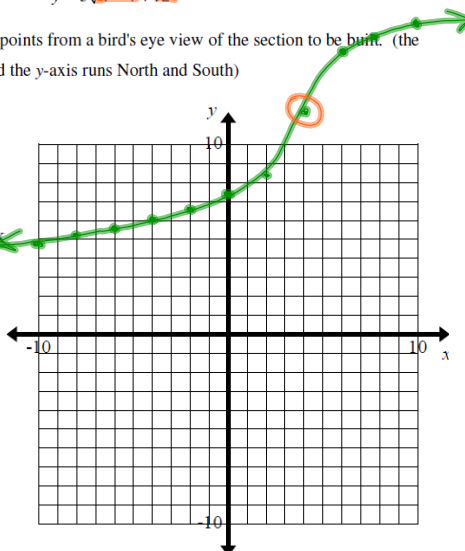
$$y = 3\sqrt[3]{x-4} + 12$$

where x and y are coordinate points from a bird's eye view of the section to be built. (the x -axis runs East and West and the y -axis runs North and South)

- Fill in the table below for this equation
- Plot your points on the graph below
- Graph the equation in your calculator to check that you are correct.

x	y
-10	7.8
-8	5.1
-6	5.5
-4	6
-2	6.5
0	7.2
2	8.2
4	12
6	15.8
8	16.8
10	17.5

inflection
point →



- a) State the domain and range of the function, paying attention to context.

$D: \mathbb{R}$ $R: \mathbb{R}$

- b) Does removing the context of the problem change the domain and/or range? Explain.

Nope ... there were no restrictions

- 2) Look at the following function in its different forms.

- a) Are there any domain restrictions?

$$y = \sqrt[3]{x+3} + 6$$

How do you know?

NO
table shows both large
pos. & neg. values

- b) Are there any range restrictions?

NO

How do you know?

arrows on graph
going both up & down

- c) What is the point of inflection?

$(-3, 6)$

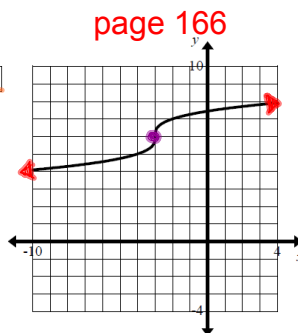
- d) How can we tell what the point of inflection is by looking at the equation?

this is the turning point. OR middle point

- e) Is the graph increasing or decreasing? How can you tell from the equation?

the # in front of $\sqrt[3]{}$ is pos. ($a=1$)

x	y
-30	3
-11	4
-4	5
-3	6
-2	7
5	8
24	9



- 3) Use the given information to explain what the domain and range for each function given below. Explain your reasoning.

- a) Equation

$$y = \sqrt[3]{x+9} - 4$$

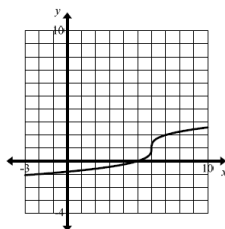
Increasing or Decreasing?
(Circle one)

Domain _____

Range _____

Point of inflection _____

- b) Graph



Increasing or Decreasing?
(Circle one)

Domain _____

Range _____

Point of inflection _____

- 4) When given the function
- $f(x) = \sqrt[3]{x-2} + 5$
- , Mia says that the point of inflection is
- $(-2, 5)$
- and Dylan says the point of inflection is
- $(5, 2)$
- . Who is correct? What could you say to help them understand their mistake?

HOMEWORK:

$y = a\sqrt{x-m} + n$
#1, 7, 8, 18 (P-139)

#1, 6, 7, 19 (P-143)
 $y = a\sqrt[3]{x-m} + n$